## Motion graphs

In motion graphs, we often use the gradient of a line and the area under a line to find values of quantities.

## Gradient

We calculate the gradient by choosing two points on the line and calculating the change in the $y$ axis (up/down) and the change in the $x$ axis (across).

## Area under graph

$$
\text { gradient }=\frac{\Delta y}{\Delta x}
$$

In IB Physics, we will not be asked to calculate the area under curves, only straight lines.
We do this be breaking the area into rectangles (base x height) and triangles ( $1 / 2$ base x height).

## Displacement-time graphs





Graph A shows that the displacement stays at 3 m , it is stationary.
Graph B shows that the displacement increases by the same amount each second, it is travelling with constant velocity.
Graph C shows that the displacement covered each second increases each second, it is accelerating.
Since gradient $=\frac{\Delta y}{\Delta x}$ and $y=$ displacement and $x=$ time $\rightarrow$ gradient $=\frac{\Delta s}{\Delta t} \rightarrow$ gradient $=$ velocity

## Velocity- time graphs





Graph A shows that the velocity stays at $4 \mathrm{~m} / \mathrm{s}$, it is moving with constant velocity.
Graph B shows that the velocity increases by the same amount each second, it is accelerating by the same amount each second (uniform acceleration).
Graph C shows that the velocity increases by a larger amount each second, the acceleration is increasing (nonuniform acceleration).
Since gradient $=\frac{\Delta y}{\Delta x}$ and $\mathrm{y}=$ velocity and $\mathrm{x}=$ time $\rightarrow$ gradient $=\frac{\Delta v}{\Delta t} \rightarrow$ gradient $=$ acceleration area $=$ base x height $\rightarrow$ area $=$ time x velocity $\rightarrow \quad$ area $=$ displacement


This graph show the velocity decreasing in one direction and increasing in the opposite direction.
If we decide that $\leftarrow$ is negative and $\rightarrow$ is positive then the graph tells us:
The object is initially travels at $5 \mathrm{~m} / \mathrm{s} \rightarrow$
It slows down by $1 \mathrm{~m} / \mathrm{s}$ every second
After 5 seconds the object has stopped
It then begins to move $\leftarrow$
It gains $1 \mathrm{~m} / \mathrm{s}$ every second until it is travelling at $5 \mathrm{~m} / \mathrm{s} \leftarrow$

