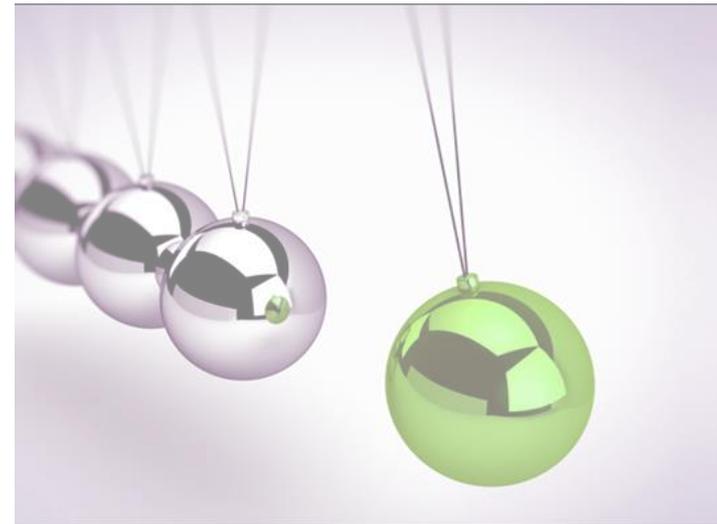


# Mechanics & Materials

2015 AQA A Level Physics

**Energy,  
Efficiency  
and Power**



# Kinetic energy

Any object that moves will have kinetic energy.

The amount of kinetic energy an object has can be found using the formula:

Kinetic energy =  $\frac{1}{2}$  x mass x velocity squared

*in J*

*in kg*

*in m/s*

$$E_k = \frac{1}{2} mv^2$$

# Kinetic Energy questions

- 1) Zoe drives her car at a speed of  $20\text{ms}^{-1}$ . If the combined mass of her and the car is  $1200\text{kg}$  what is her kinetic energy?
- 2) Ben rides his bike at a speed of  $10\text{ms}^{-1}$ . If the combined mass of Ben and his bike is  $80\text{kg}$  what is his kinetic energy?
- 3) Will is running and has a kinetic energy of  $750\text{J}$ . If his mass is  $60\text{kg}$  how fast is he running?
- 4) Connor is walking to town. If he has a kinetic energy of  $150\text{J}$  and he's walking at a pace of  $2\text{ms}^{-1}$  what is his mass?

# Gravitational Potential Energy

To work out how much gravitational potential energy (GPE) an object gains when it is lifted up we would use the simple equation...

$$\begin{array}{ccccc} \Delta E_{\text{grav}} & = & \text{Weight} & \times & \text{Change in height} \\ \text{(Joules)} & & \text{(newtons)} & & \text{(metres)} \end{array}$$

*(Remember -  $W=mg$ )*

# Some example questions...

How much gravitational potential energy have the following objects gained?:

1. A brick that weighs 15N lifted to the top of a house (9m),
2. A 1,000kg car lifted by a ramp up to a height of 2.5m,
3. A 65kg person lifted up 50cm by a friend.

How much GPE have the following objects lost?:

1. A 2.5N football dropping out of the air after being kicked up 30m,
2. A 0.7N egg falling 10m out of a bird nest,
3. A 1,000kg car falling off its 260cm ramp.

# Energy changes for a skydiver

Meet our skydiver:



If the skydiver has reached terminal velocity explain what happened to his...

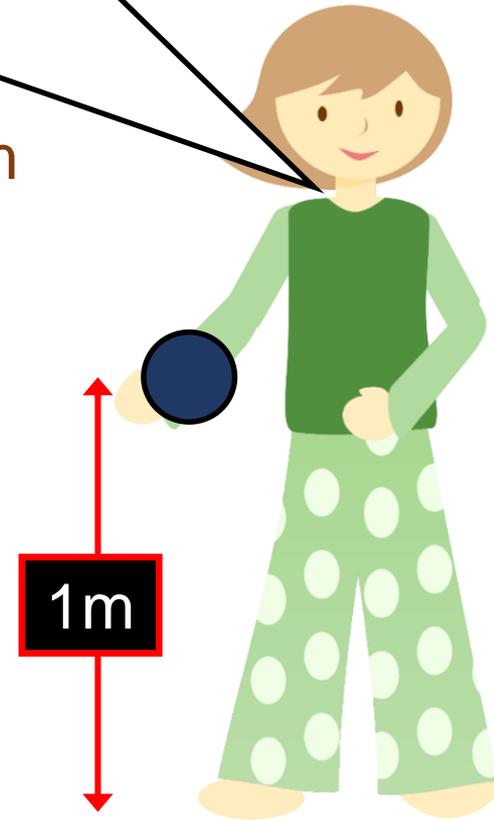
- 1) Kinetic energy
- 2) Gravitational potential energy

...during his skydive.

# Using conservation of energy when dropping objects

If I drop this ball from 1 m, how fast will it be going when it hits the floor?

HINT: Use GPE at top = Kinetic energy at bottom



# Using conservation of energy when dropping objects

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Use GPE at top = Kinetic energy at bottom

$$mgh = \frac{1}{2}mv^2$$

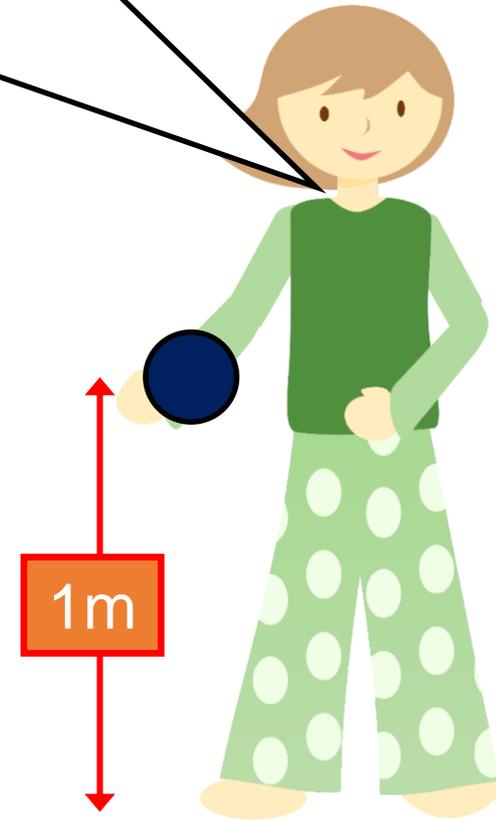
$$gh = \frac{1}{2}v^2$$

$$h = \frac{v^2}{2g}$$

$$v^2 = 2 \times 9.81 \times 1$$

$$v^2 = 19.62$$

$$v = 4.43\text{m/s}$$



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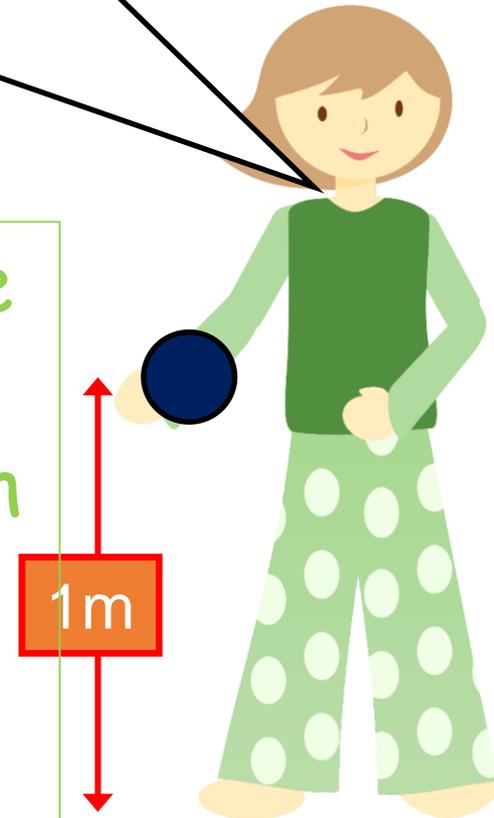
$$h = \frac{v^2}{2g}$$

$$v^2 = 2 \times 9.81 \times 1$$

$$v^2 = 19.62$$

$$v = 4.43\text{m/s}$$

You get the same answer with SUVAT equations  
Try it!

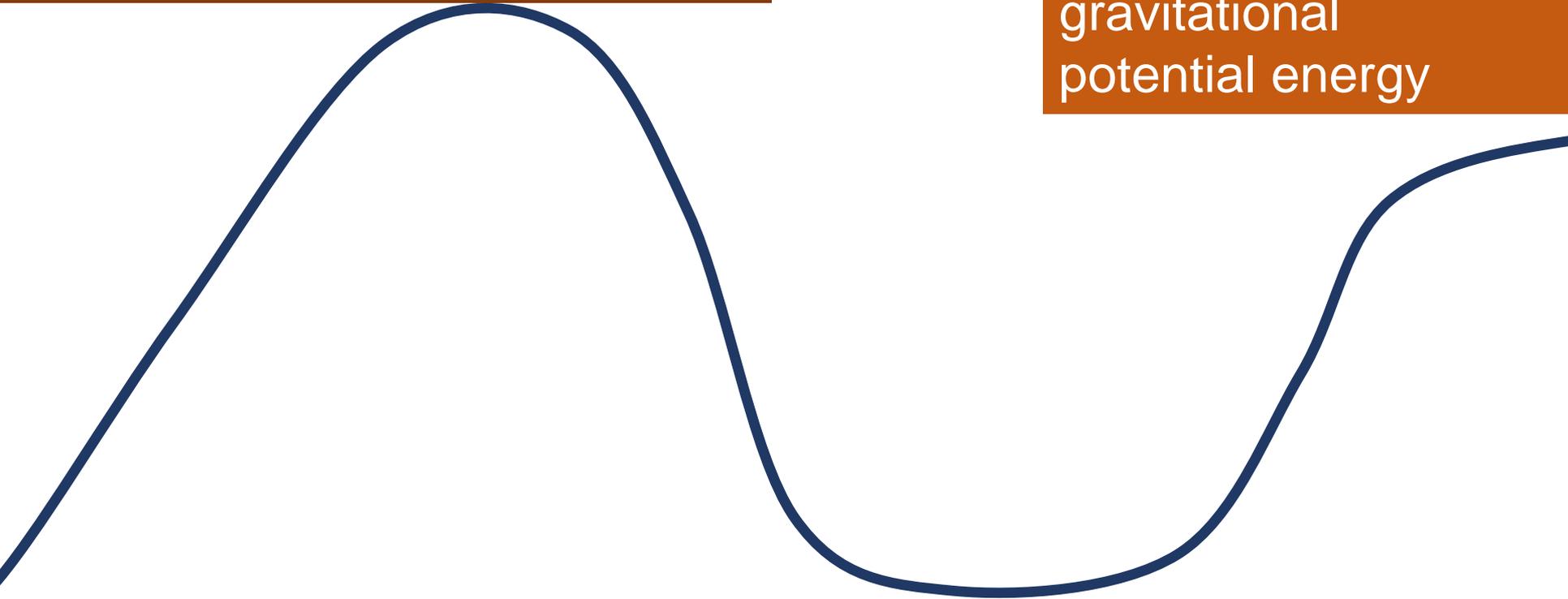


# Roller Coasters

1) Electrical energy is transferred into gravitational potential energy

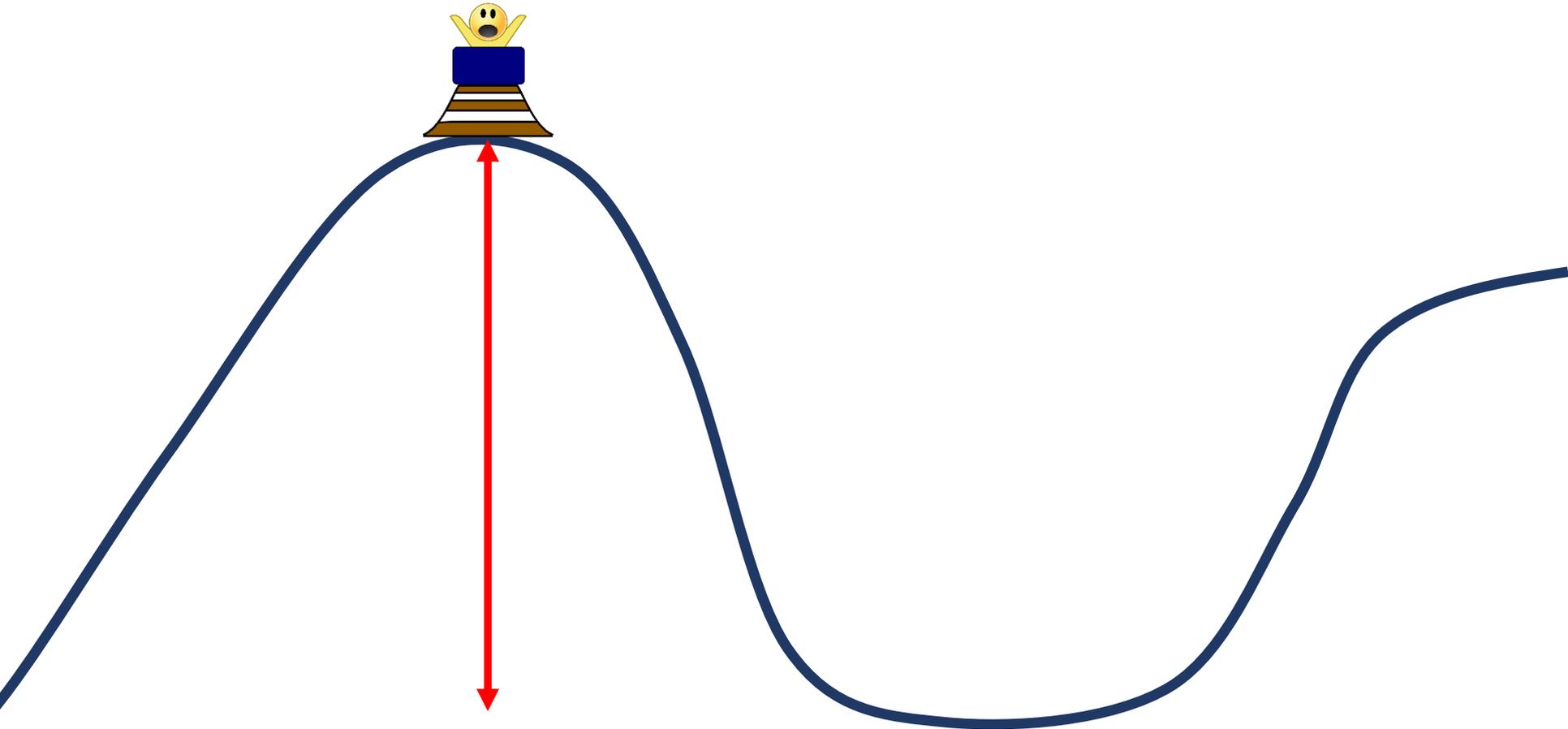
3) Kinetic energy is transferred back into gravitational potential energy

2) Gravitational potential energy is transferred into kinetic energy



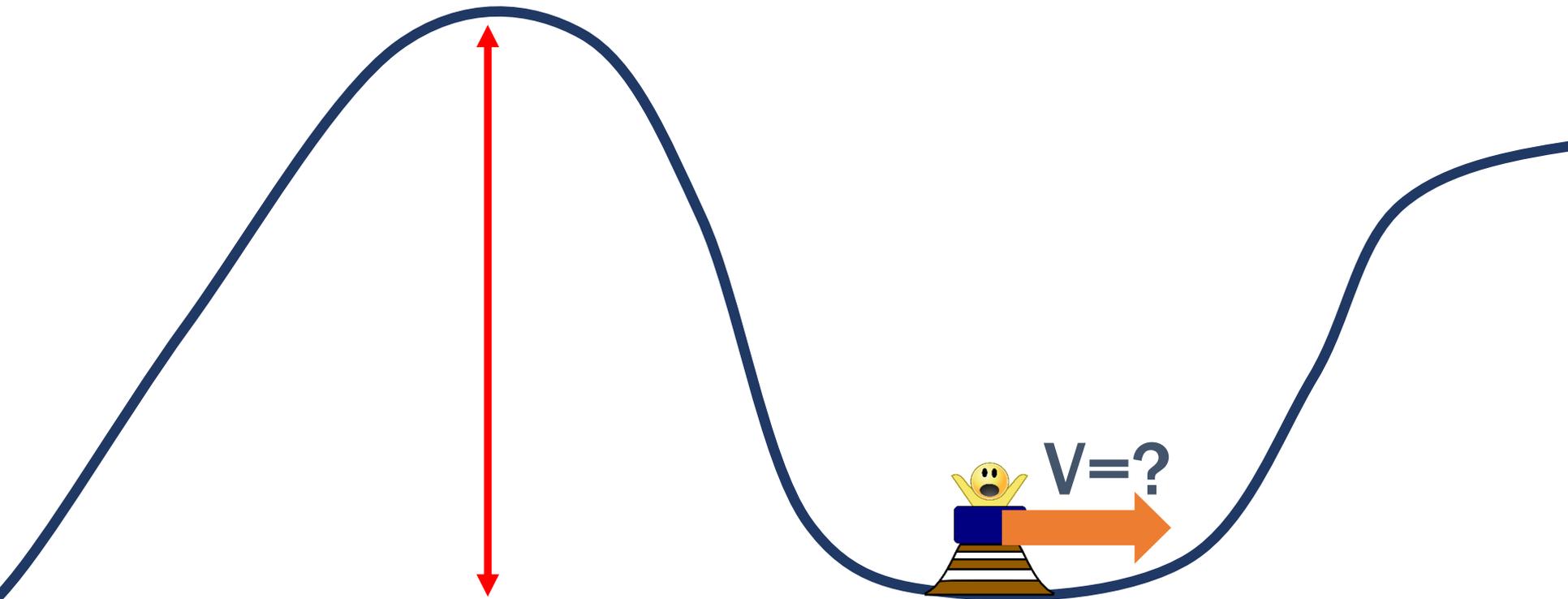
# Conservation of energy...

If the height of the drop was 100m and assuming there was a 100% conversion from gravitational to kinetic energy, how fast was the roller coaster car moving at the bottom of the ramp?



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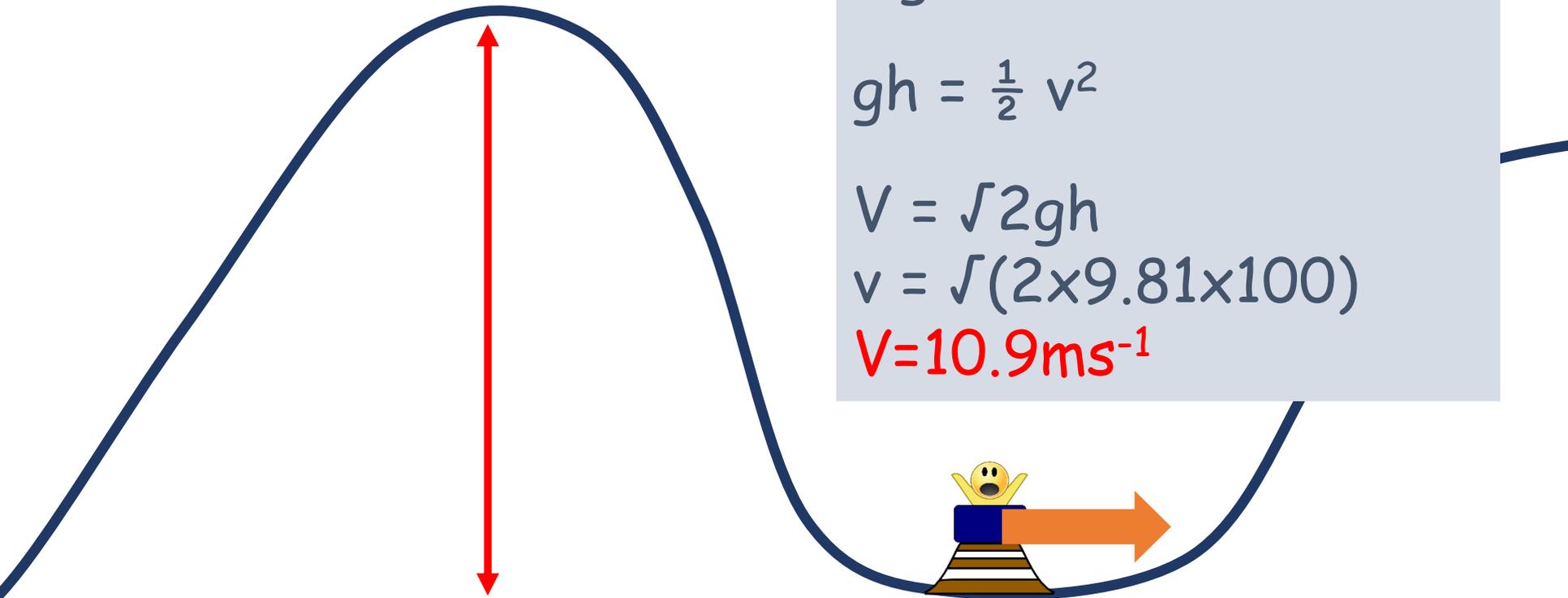
$$mgh = \frac{1}{2}mv^2$$

$$gh = \frac{1}{2}v^2$$

$$v = \sqrt{2gh}$$

$$v = \sqrt{(2 \times 9.81 \times 100)}$$

$$v = 10.9 \text{ms}^{-1}$$

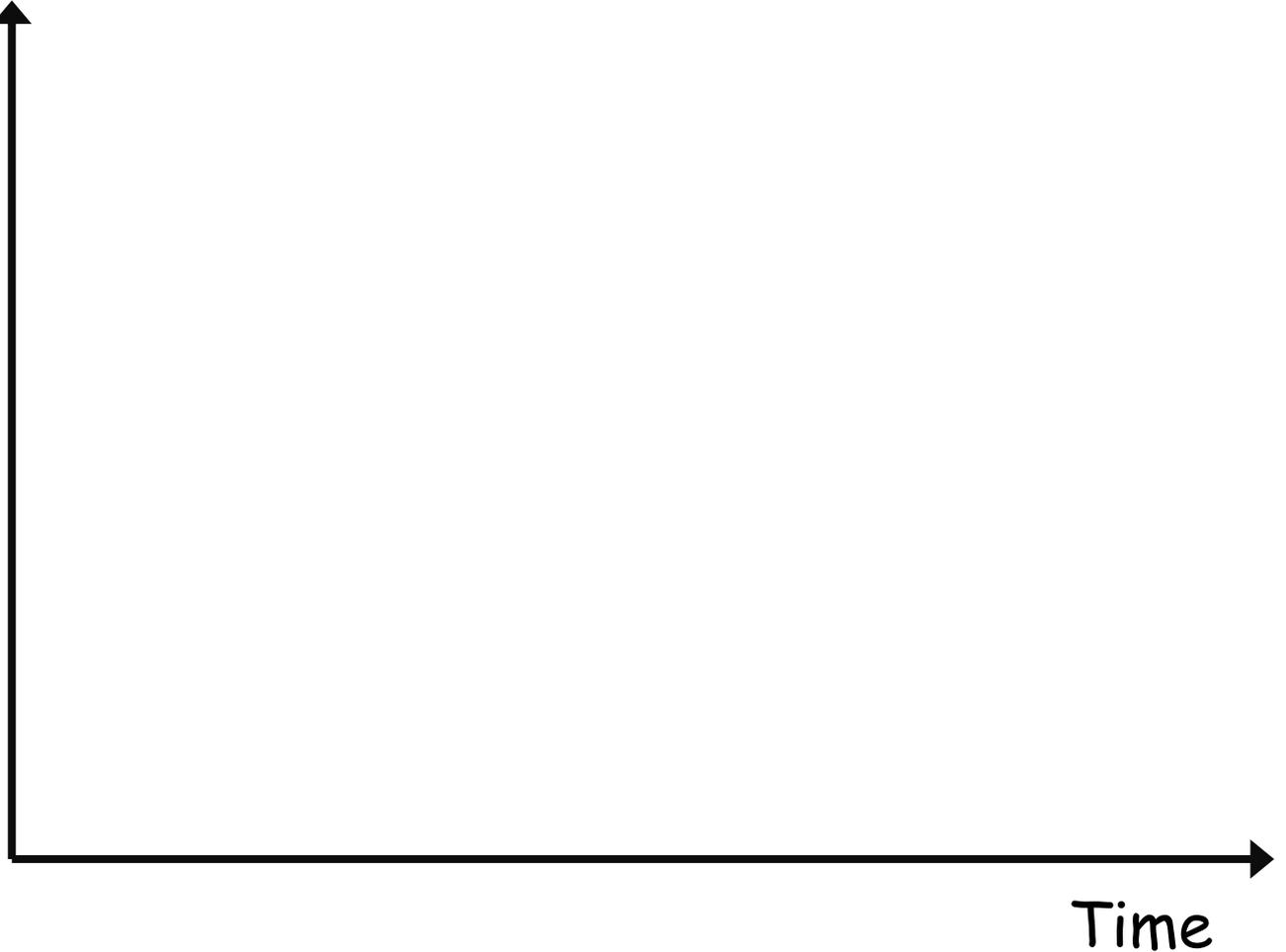


# Conservation of Energy

Consider a bouncing ball:



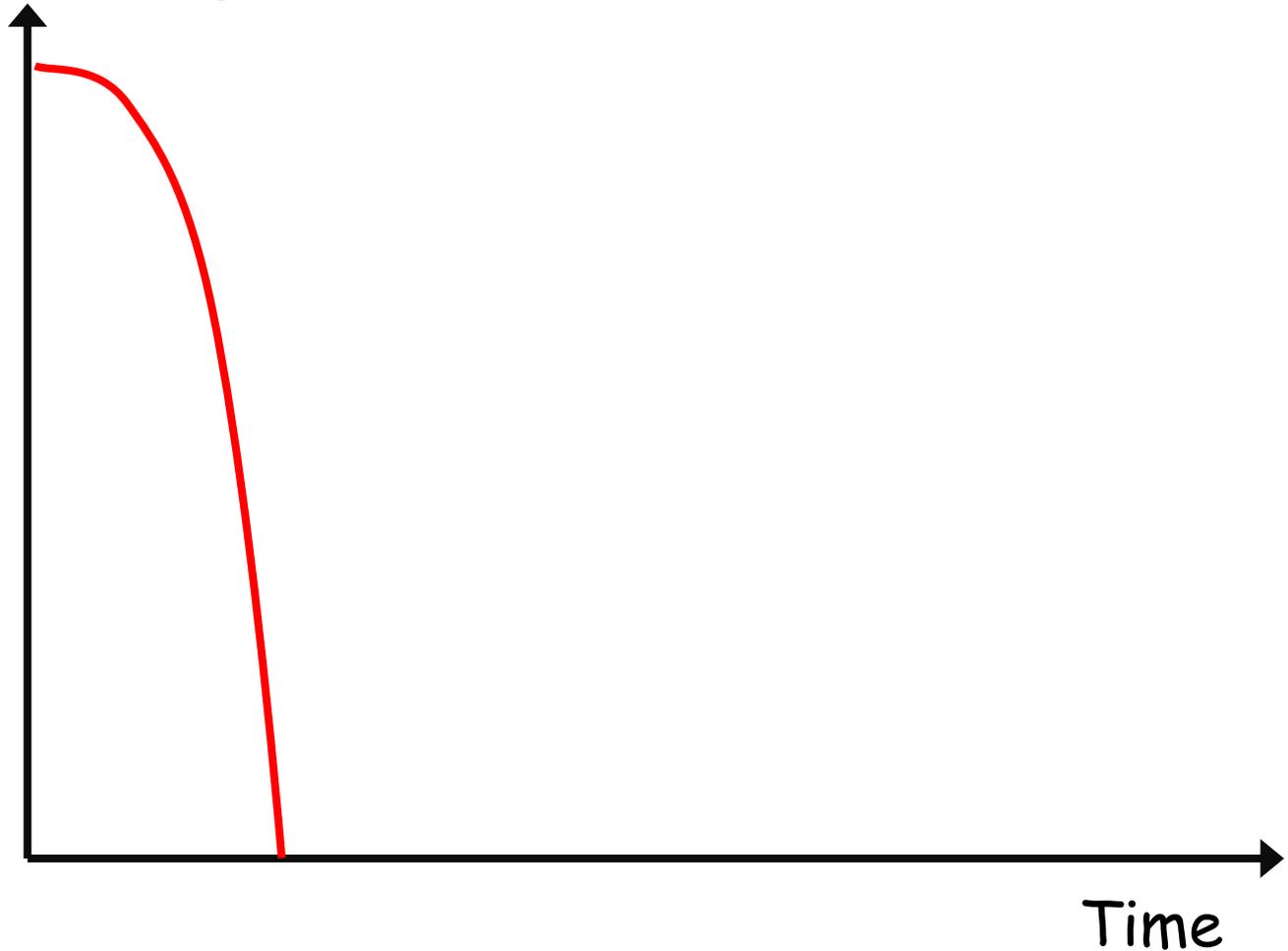
Gravitational  
Potential Energy



# Conservation of Energy

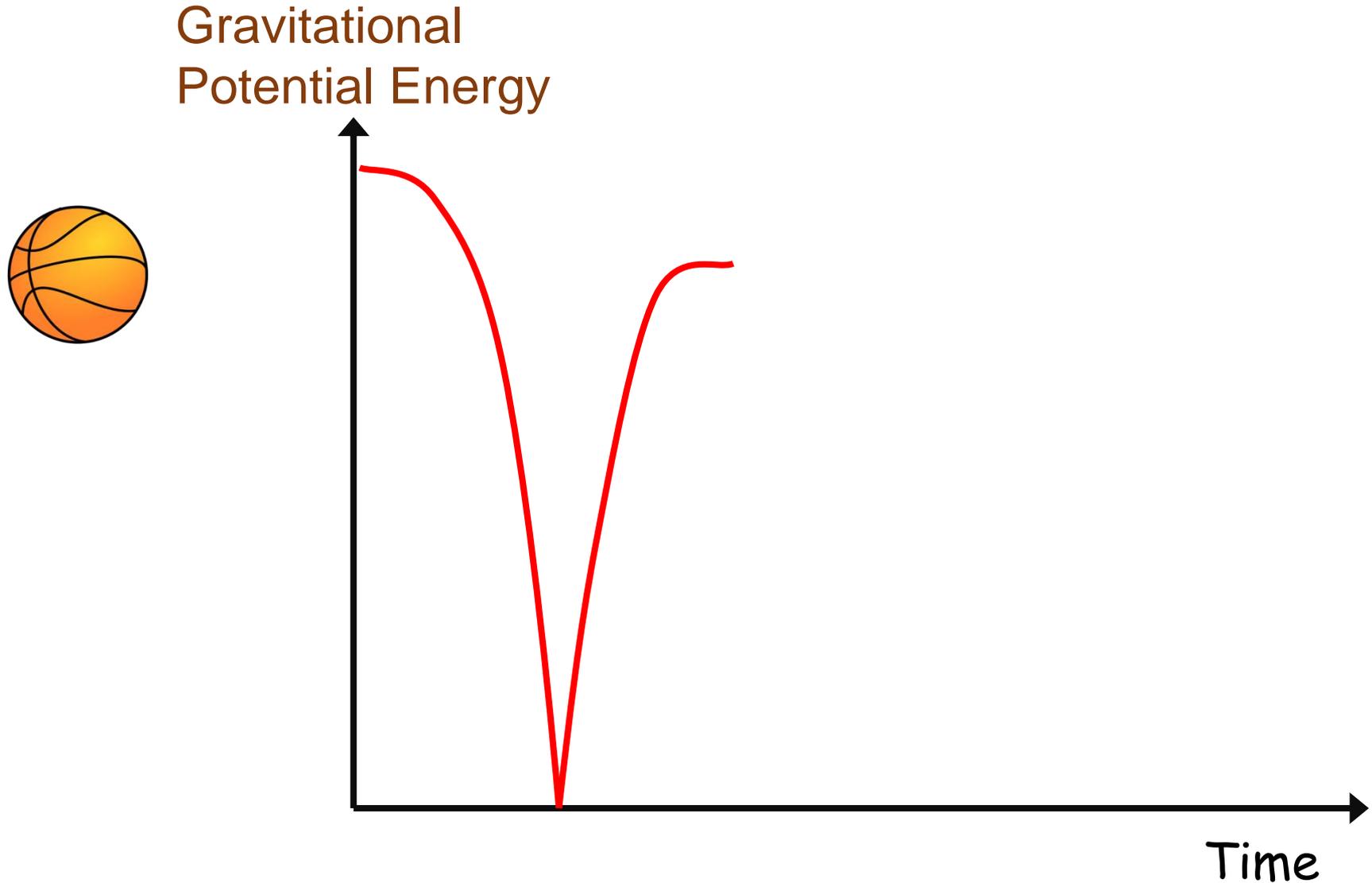
Consider a bouncing ball:

Gravitational  
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# Conservation of Energy

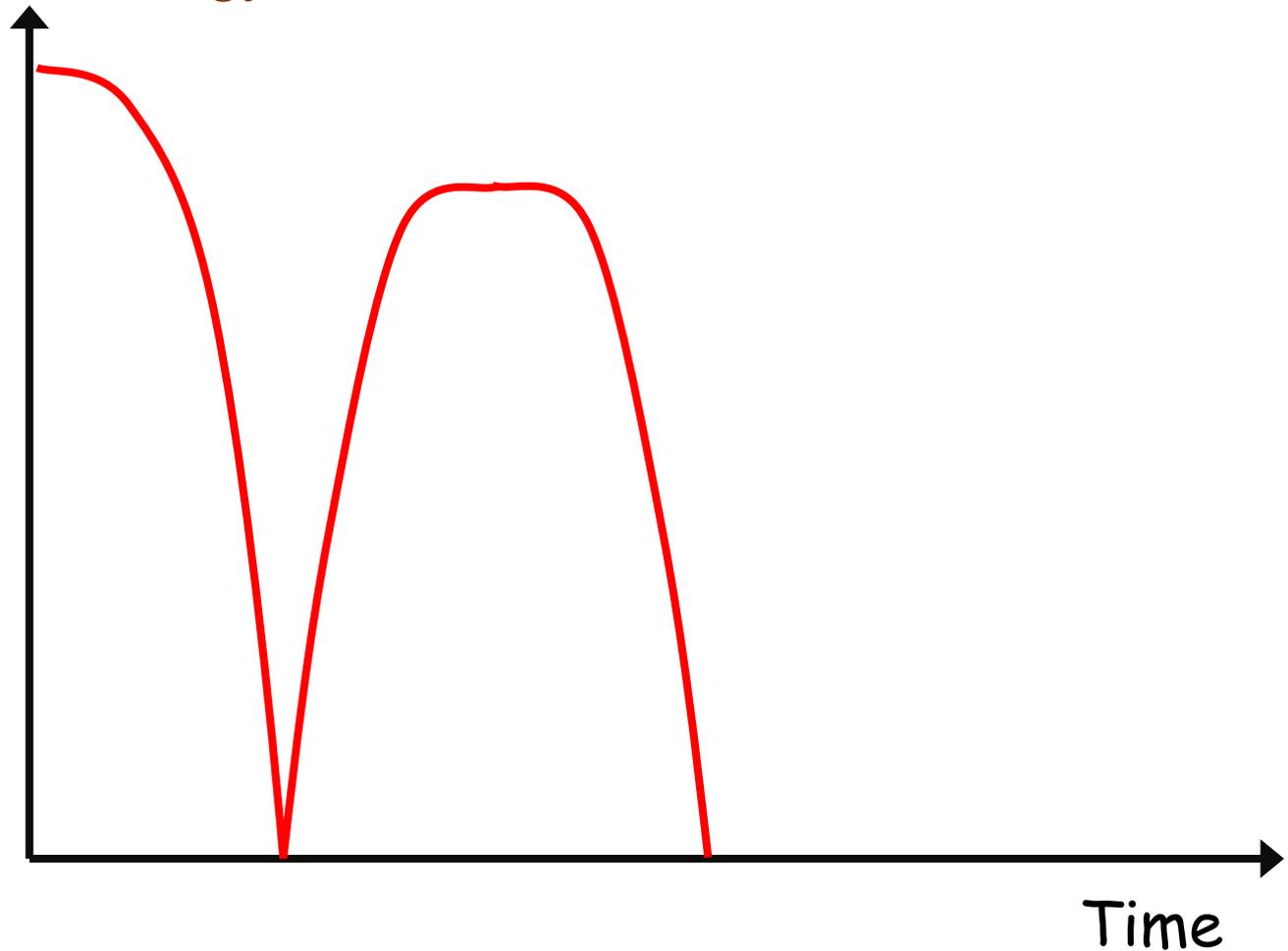
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# Conservation of Energy

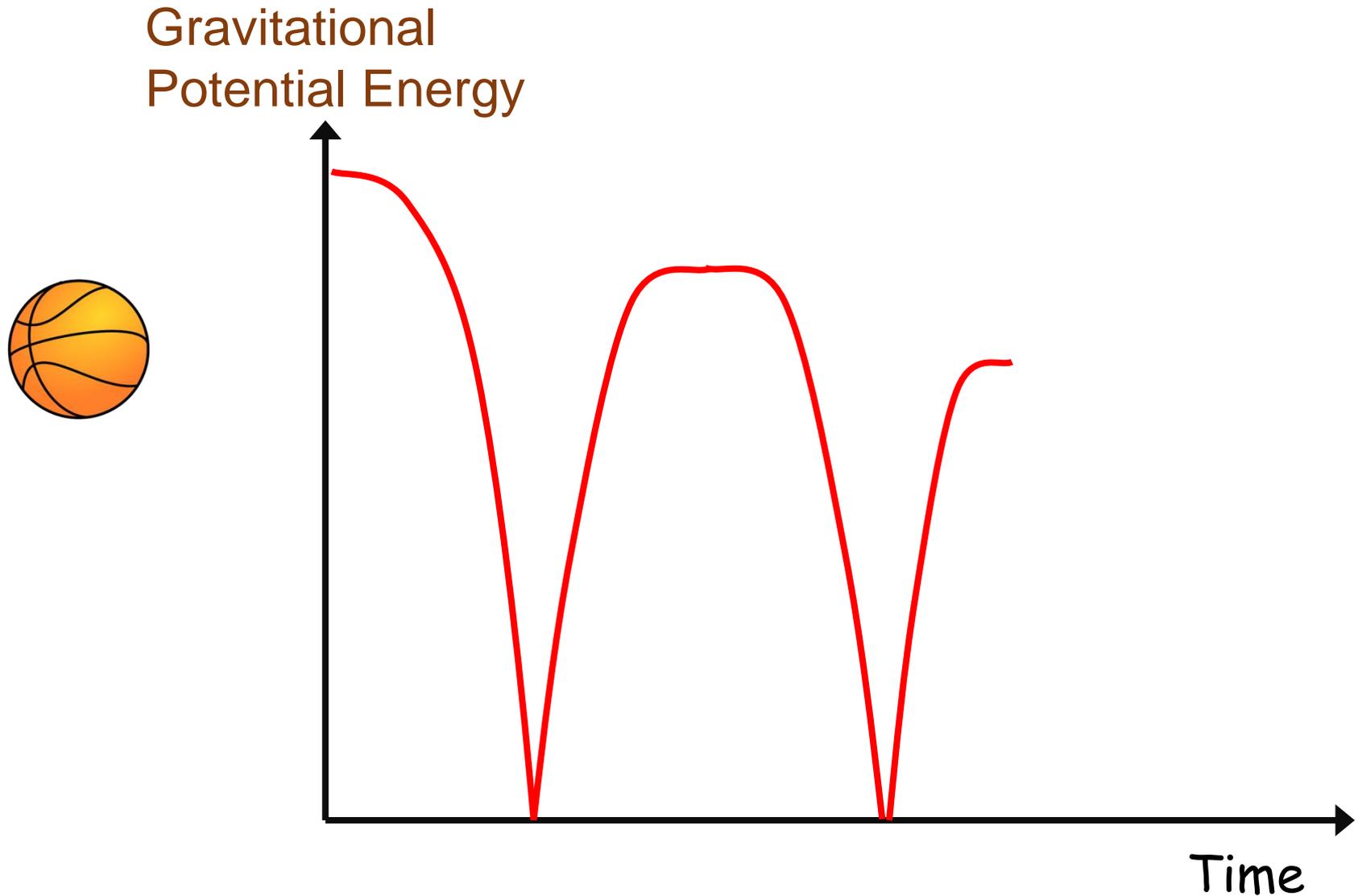
Consider a bouncing ball:

Gravitational  
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# Conservation of Energy

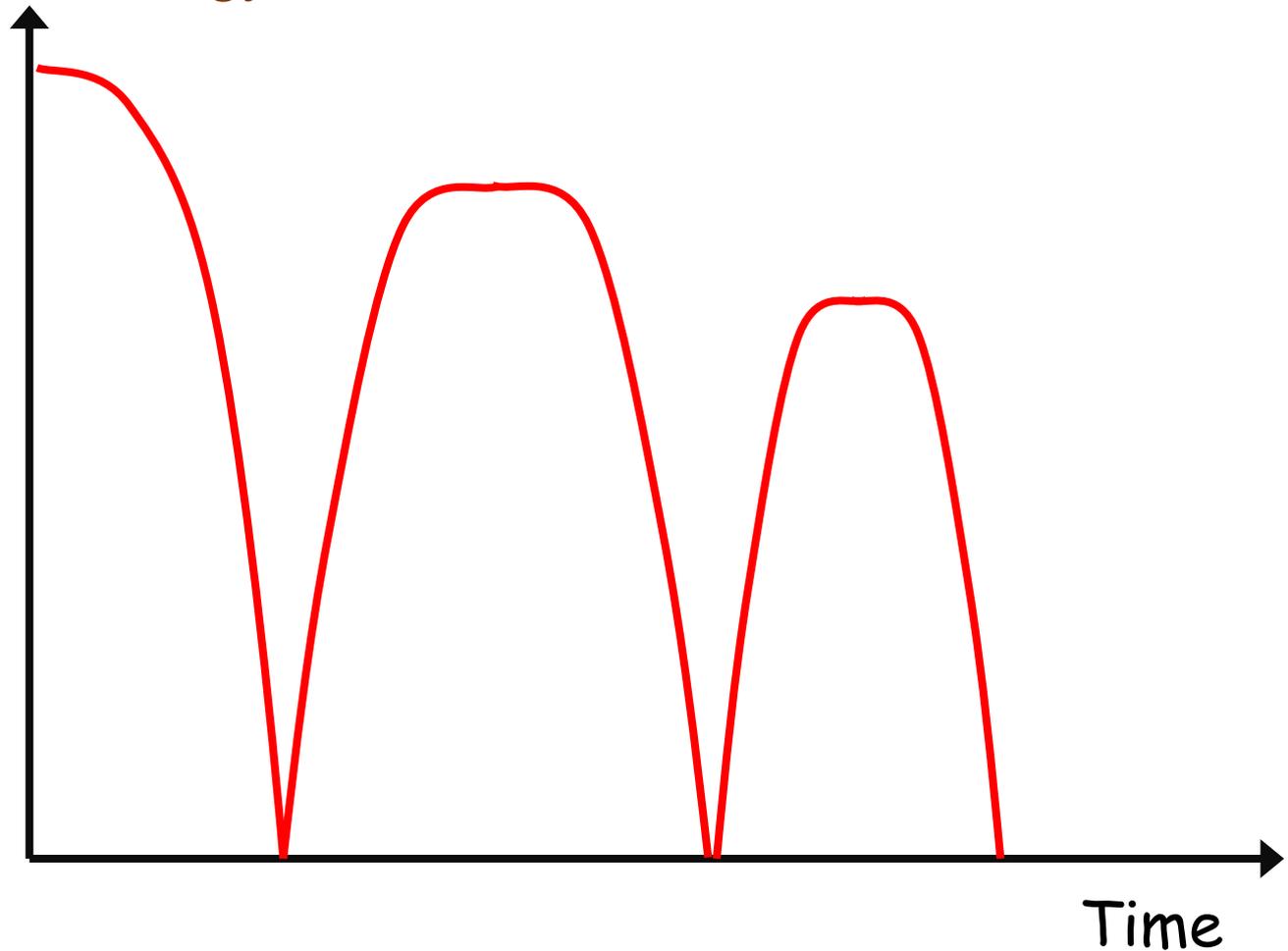
Consider a bouncing ball:



# Conservation of Energy

Consider a bouncing ball:

Gravitational  
Potential Energy



# Conservation of Energy

Consider a bouncing ball:



Kinetic Energy

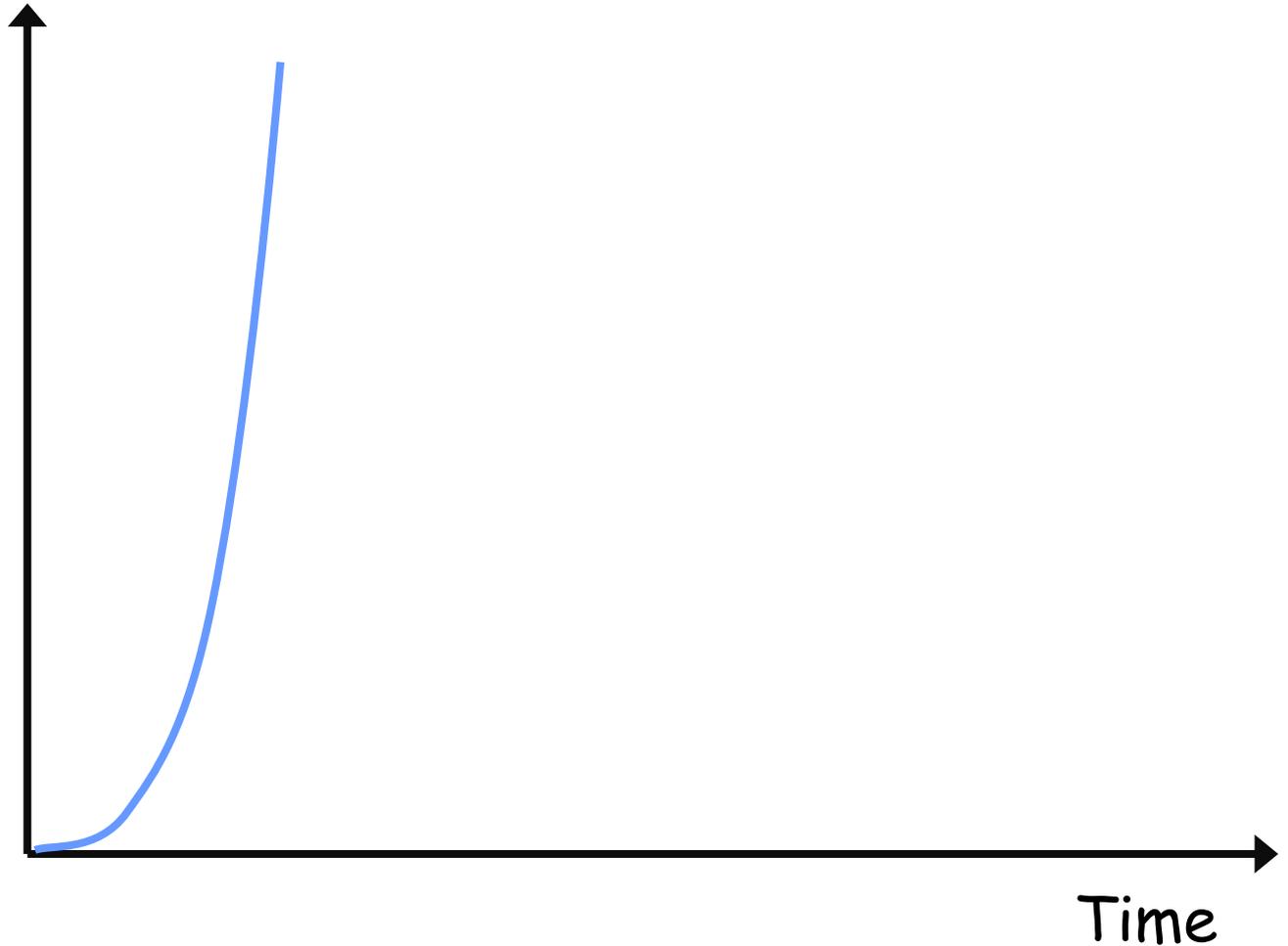


Time

# Conservation of Energy

Consider a bouncing ball:

Kinetic Energy

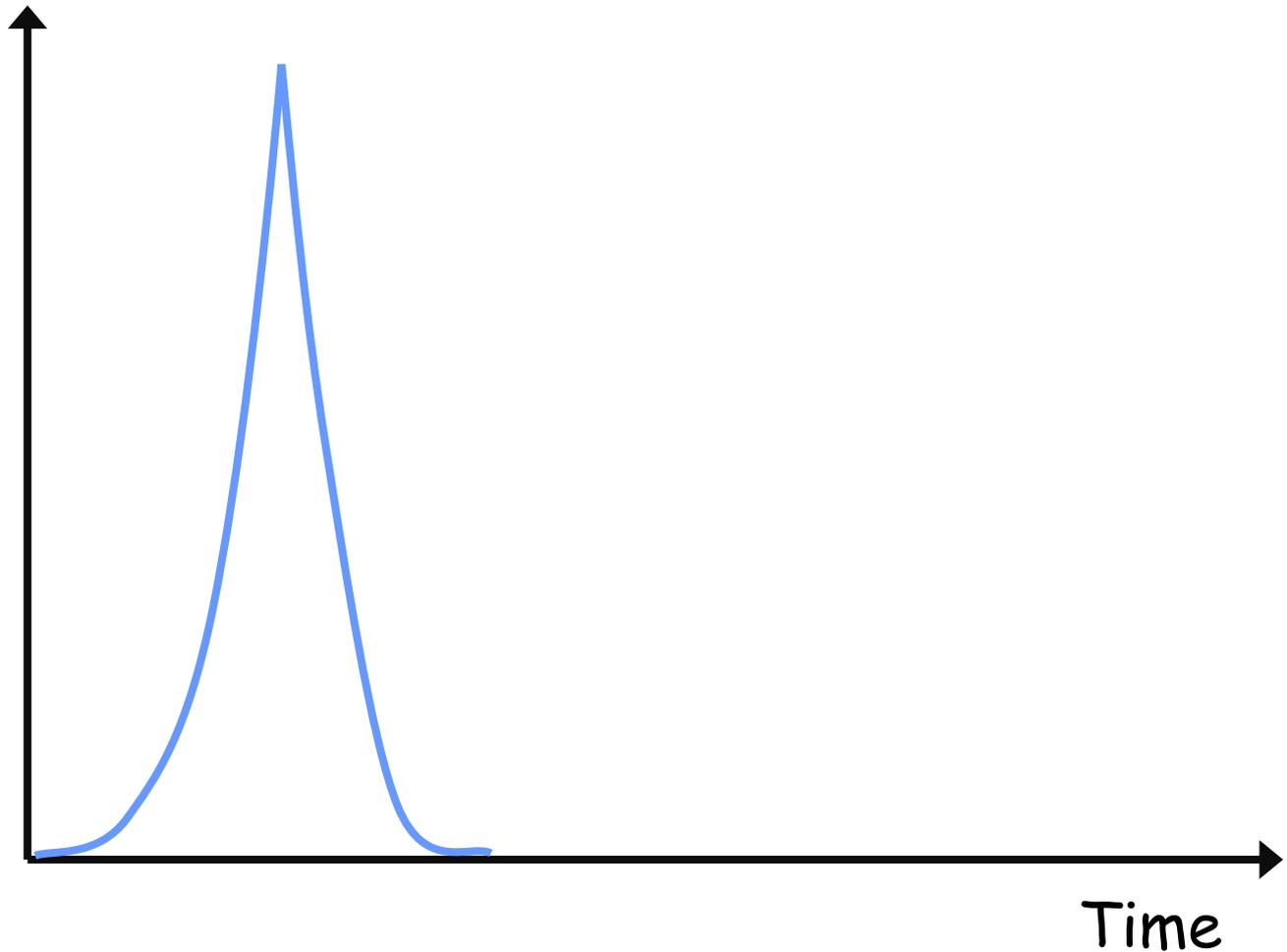


# Conservation of Energy

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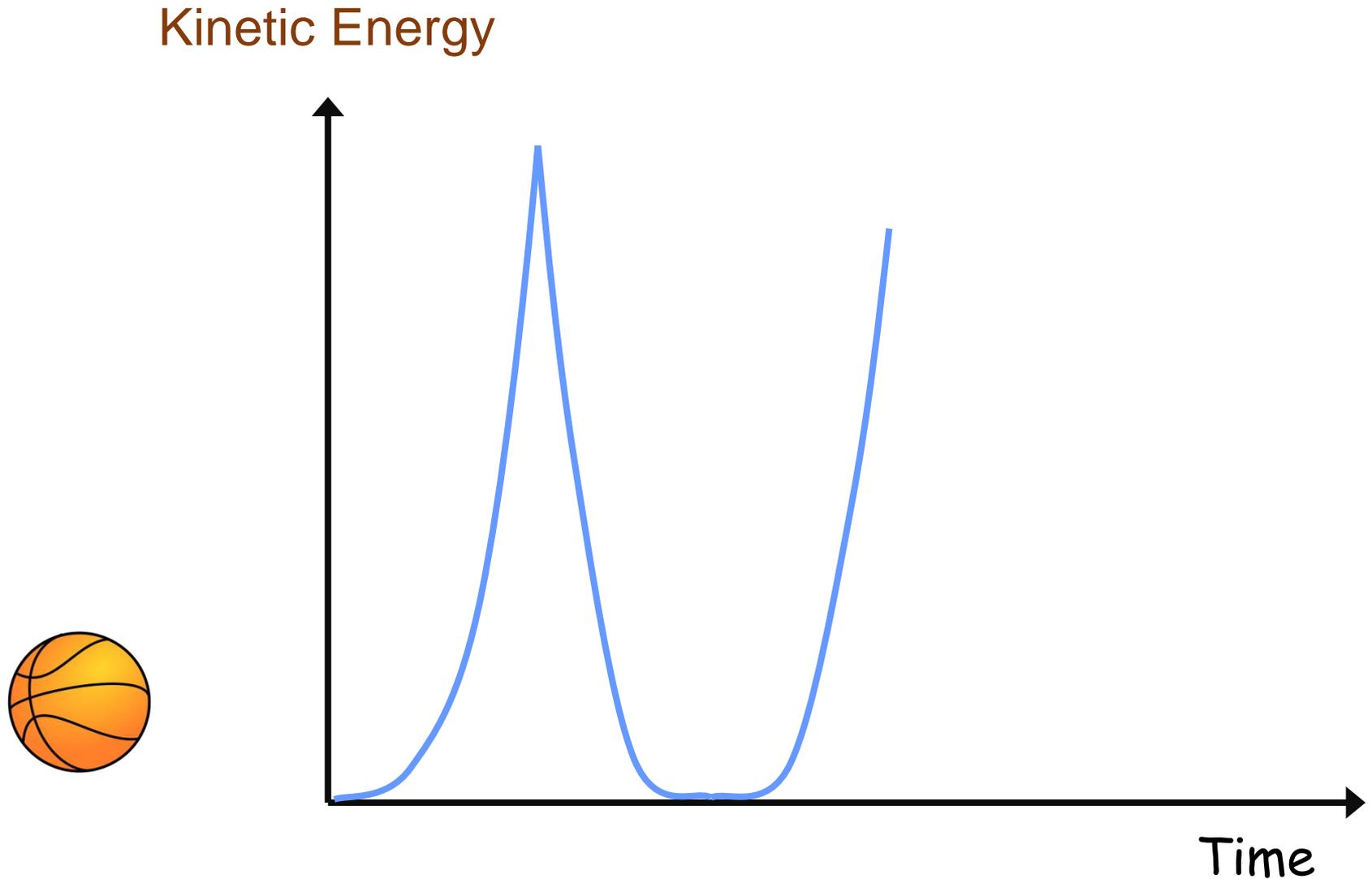


Kinetic Energy



# Conservation of Energy

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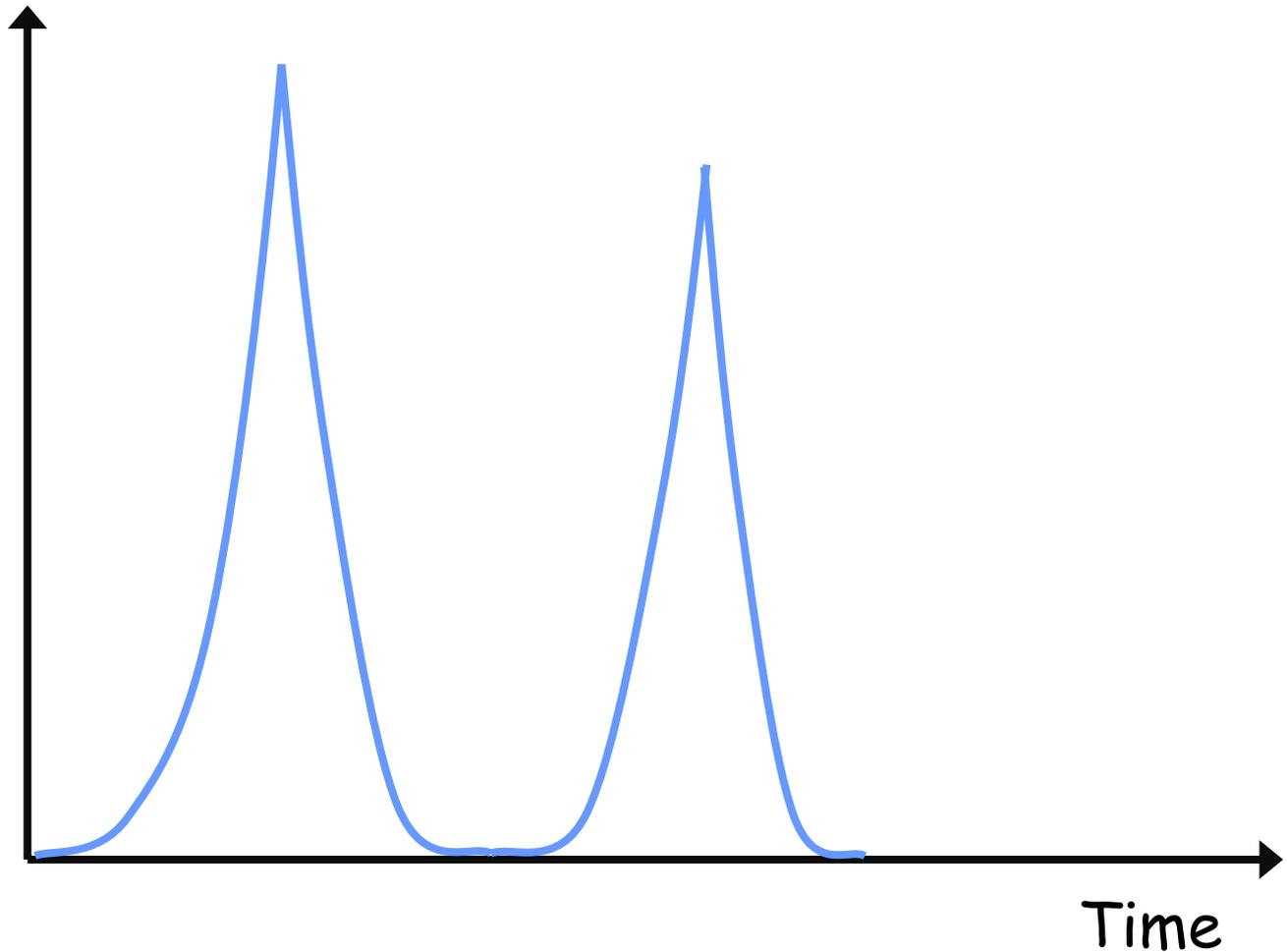


# Conservation of Energy

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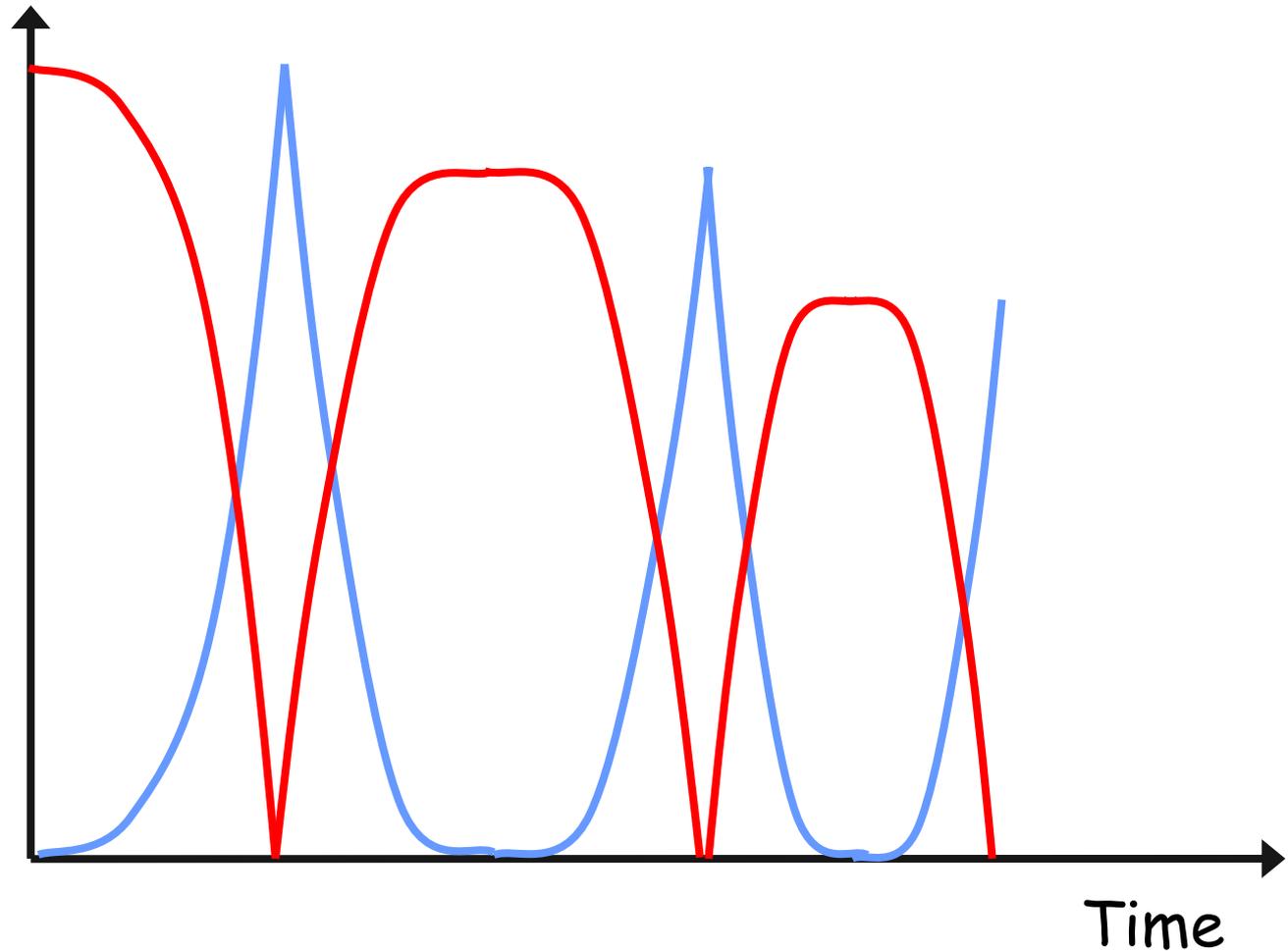
Kinetic Energy



# Conservation of Energy

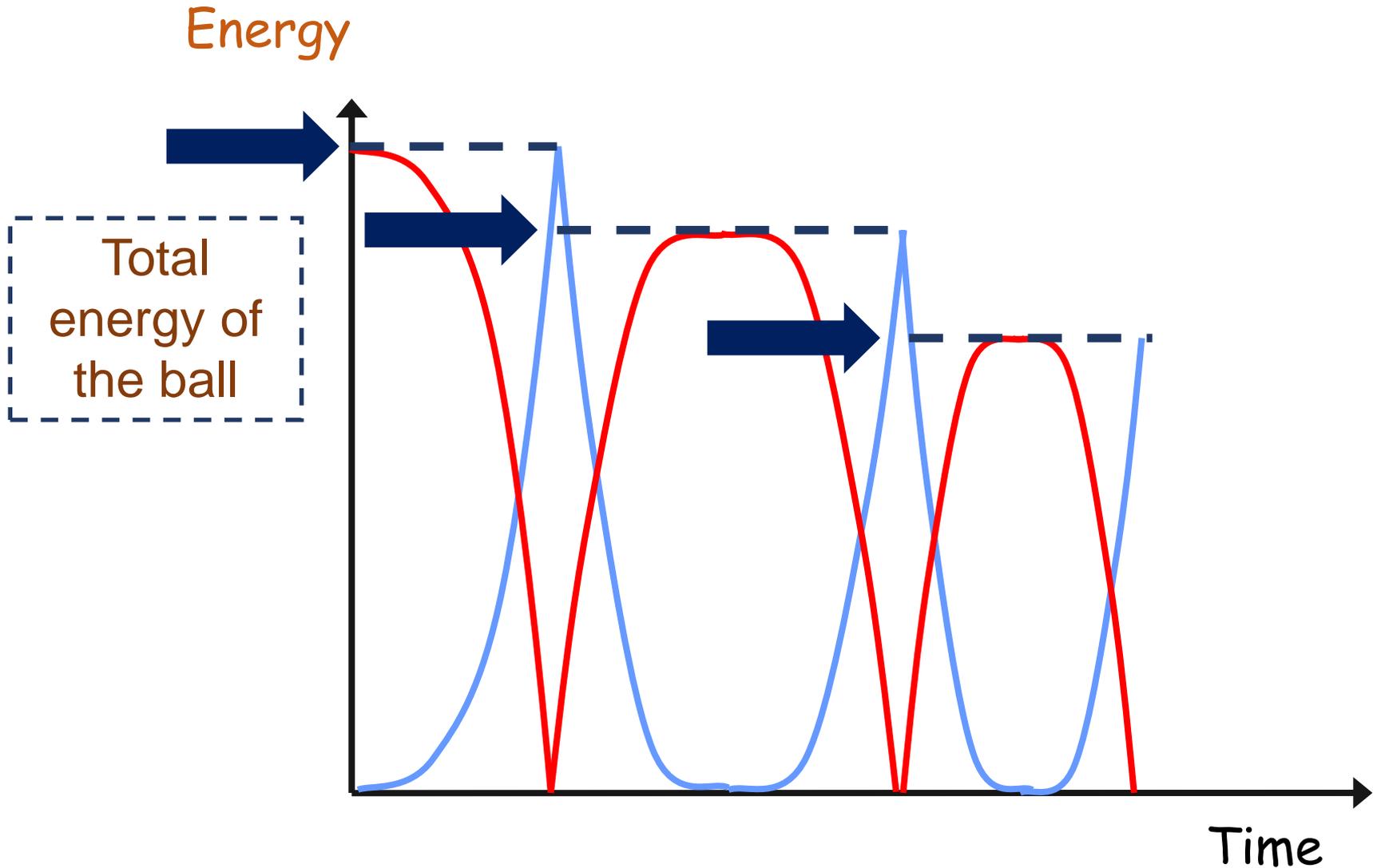
Now put these graphs together:

Energy



# Conservation of Energy

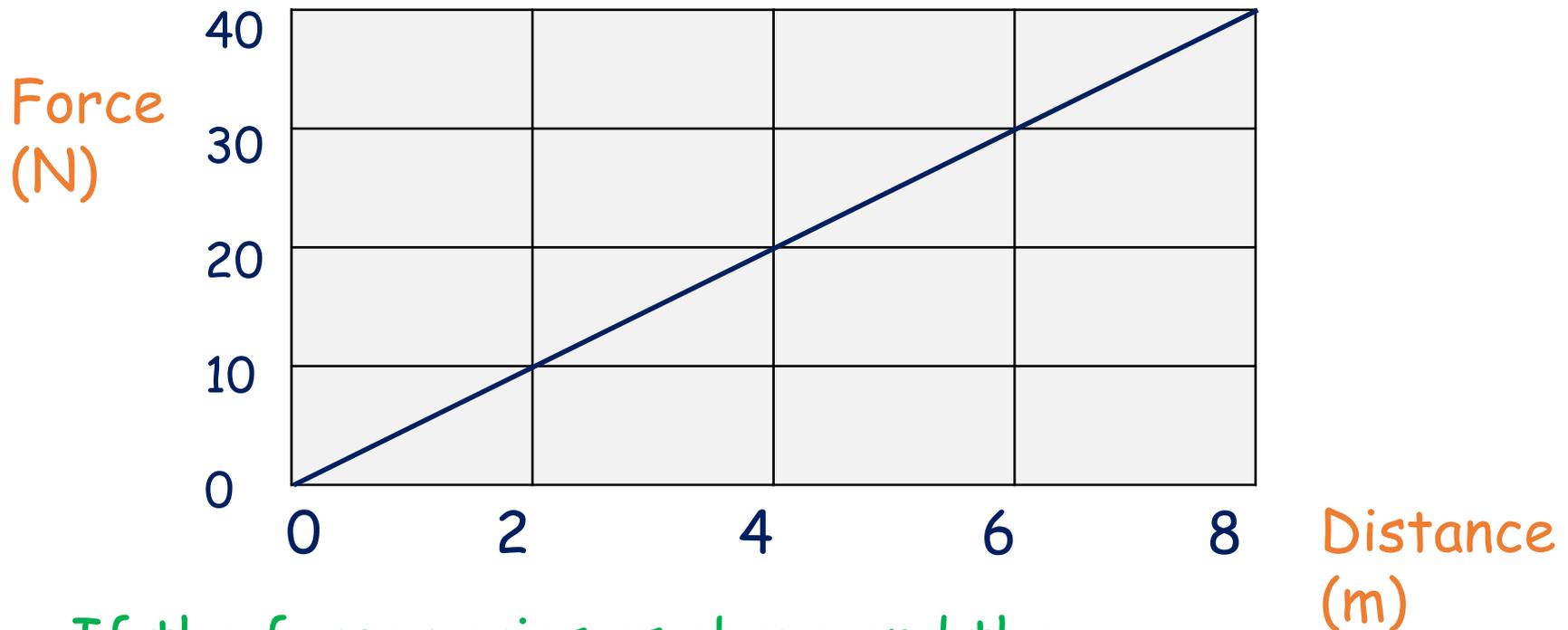
Now put these graphs together:



# Work done

Work done (in joules) is simply the force needed to move an object multiplied by the distance moved in the direction of the force:

$$\Delta W = F \Delta s$$



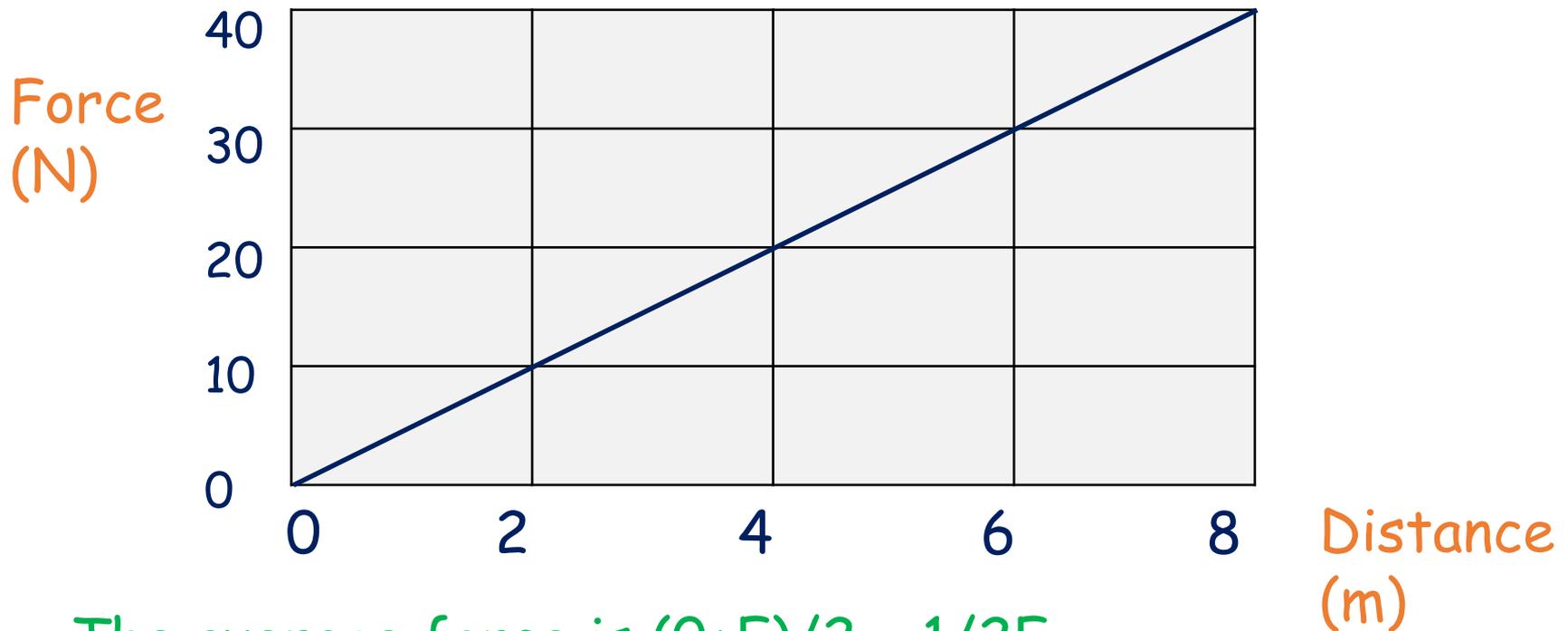
If the force varies as above and the distance is 8m, how much work is done?

# Work done

When the force varies, we have to use the average force

To find work done

$$\Delta W = F_{AVE} \Delta S$$

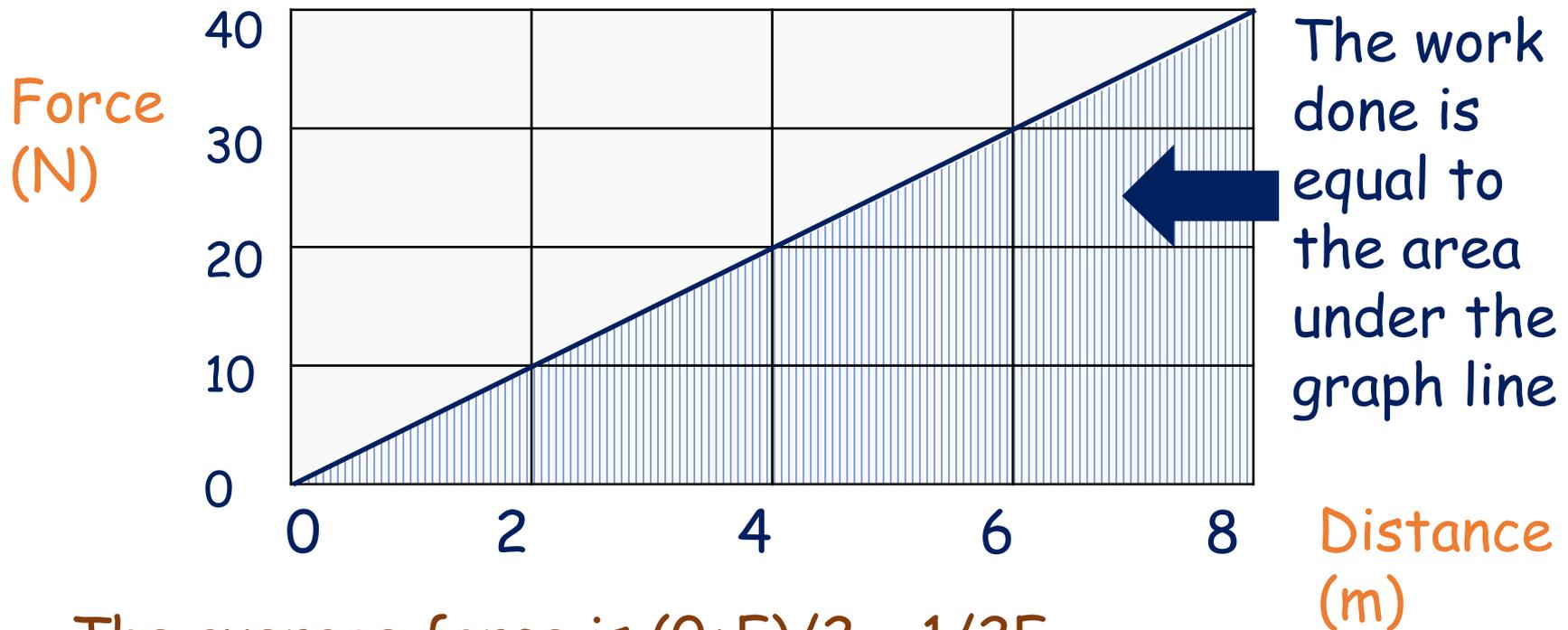


The average force is  $(0+F)/2 = 1/2F$   
The work done is therefore  $1/2Fs$

# Work done

When the force varies, we have to use the average force to find work done

$$\Delta W = F_{AVE} \Delta S$$



The average force is  $(0+F)/2 = 1/2F$   
The work done is therefore  $= 1/2Fs$

# Power

Power (in watts) is “the rate of doing work”:

$$P = \frac{\Delta W}{\Delta t}$$

Also, using our “work done” equation:

$$\Delta W = F\Delta s$$

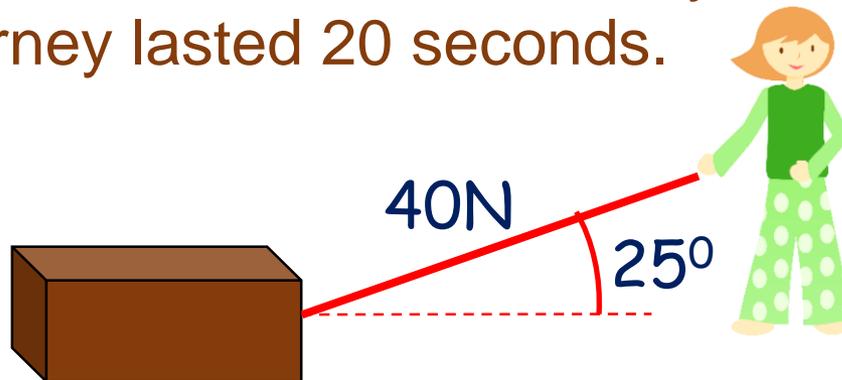
$$P = \frac{\Delta W}{\Delta t} = \frac{F\Delta s}{\Delta t}$$

...therefore

$$P = Fv$$

# Questions on work and power

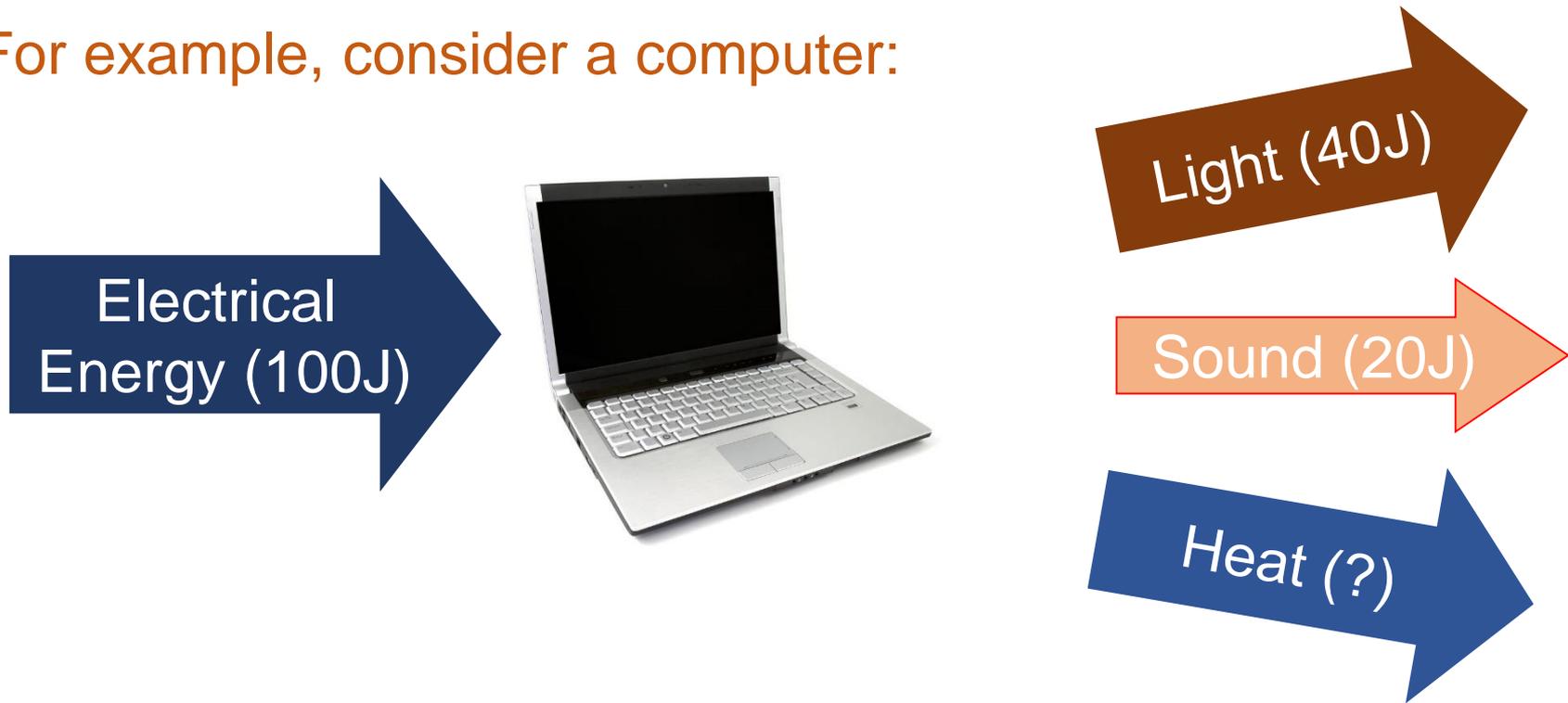
- 1) Ryan pushes John in the direction of a cliff. If he uses a force of 50N and he moves Dan 10m in 5s calculate the work done and Ryan's power rating.
- 2) Alice runs up some stairs and has a power rating of 700W while she does so. If he does it in 4 seconds and her weight is 550N, calculate how high the stairs are.
- 3) A woman pulls a block of wood at an angle of  $25^\circ$  to the horizontal and uses a force of 40N. If the distance travelled horizontally is 6m calculate the work done by the woman and her power if the journey lasted 20 seconds.



# Efficiency revision

Efficiency is a measure of how much USEFUL energy you get out of an object from the energy you put INTO it.

For example, consider a computer:



$$\text{Efficiency} = \frac{\text{Useful energy out}}{\text{Energy in}} \times 100\%$$

# Some examples of efficiency...

- 1) 4000J of electrical energy are put into a motor. The motor converts this into 1500J of movement energy. How efficient is it?
- 2) A laptop can convert 500W of electrical power into 270W of light and sound power. What is its efficiency? Where does the rest of the energy go?
- 3) A steam engine is 25% efficient. If it delivers 30,000W of movement power, how much chemical energy was put into it every second?